

## Lecture 1

# Introduction and Math Review

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Principles of Microeconomics

## Helpful hints

- Economics doesn't have to be difficult
- BUT... some people make it difficult for themselves.
- I did.
- If a model is unclear, don't try to think of an example from the \$10 trillion US economy.
- Instead, apply the model to a small rural village.
- Most important part of any economic model are the:  
**ASSUMPTIONS**
- If you understand the assumptions of the model, you will understand the conclusions.
- You will NOT understand the conclusions, if you don't understand the assumptions.
- **WHEN READING, DON'T SKIP CHAPTERS!**

# Scope & Method of Economics

## Why should I study economics?

- **To learn a way of thinking!** Hopefully, you'll learn to use three key concepts in your daily lives:
  - **efficient markets**
  - **marginalism** and
  - **opportunity cost**

## Efficient markets

- Profit opportunities are rare because everyone is looking for them.
- **Efficient markets** eliminate profit opportunities immediately.
- Ex. You'll never find a good parking space, because if there was a good one, it would already be taken before you got there.

## Marginalism

**Average cost** – total cost divided by quantity

- If I spend 300 hours preparing 30 lessons for you:
- You had better study!
- My average cost per lesson is 10 hours.

**Sunk cost** – costs that can no longer be avoided because they have already been “sunk”

- If I teach this class again next semester, I will have already sunk 300 hours into preparation.

**Marginal cost** – cost of producing one more unit

- Next semester I can recycle my notes, so my marginal cost per lesson will equal 75 minutes.
- Compare that with my current 10 hours!

# Opportunity Cost

- We all face choices. **Resources are “scarce.”**
- We can’t spend more time or money than we have, so we have to give up one opportunity to take advantage of another.
- If I have a choice between earning \$1000 per month by teaching this course OR earning \$500 per month by working at McDonald’s, then:
  - It takes me one month to *produce* \$1000 worth of teaching.
  - It takes me one month to *produce* \$500 worth of burger flipping.
- **Q: What’s my opportunity cost of teaching?**
- **A: Half a burger flipping per unit of teaching.**

$$\frac{\text{one month per } \$1000 \text{ of teaching}}{\text{one month per } \$500 \text{ of burger flipping}} = \frac{\frac{\text{one month}}{\$1000 \text{ of teaching}}}{\frac{\text{one month}}{\$500 \text{ of burger flipping}}}$$

$$= \frac{\$500 \text{ of burger flipping}}{\$1000 \text{ of teaching}} = \frac{1}{2} \frac{\text{burger flippings}}{\text{teaching}}$$

I’ll give a much, much better example in the next lecture.

## Point plotting (X,Y):

- the first point in a pair lies on the X axis (horizontal axis)
- the second point in a pair lies on the Y axis (vertical axis)

Let’s graph the following equation in red (square points):

$$y = -5x + 20$$

Connect points:

(0,20), (1,15), (2,10), (3,5) & (4,0)

**y-intercept:**

- the value of y, when x = 0
- here it’s 20, because:
 
$$20 = (-5 * 0) + 20$$

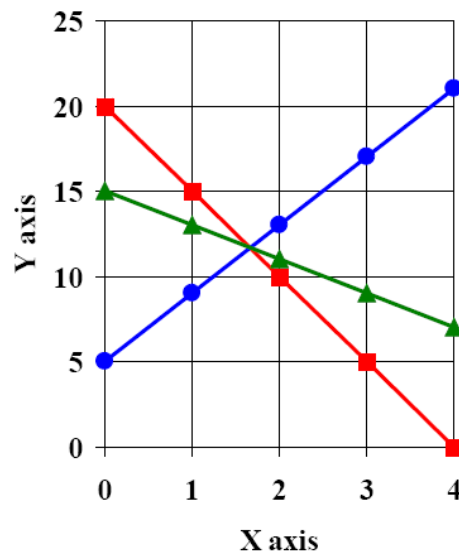
**slope:** (we’ll get back to that)

**More examples:**

$$y = 4x + 5 \quad (\text{blue, round points})$$

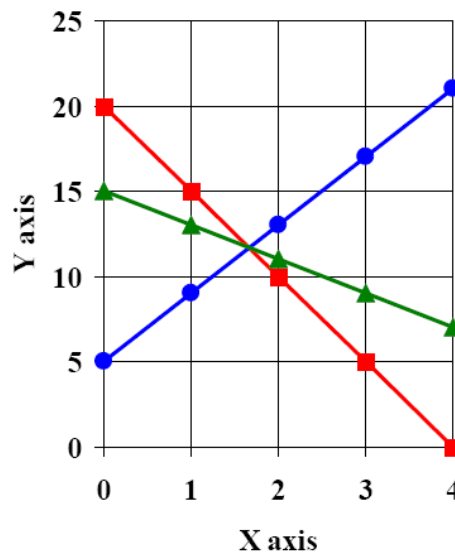
$$y = -2x + 15 \quad (\text{green, triangle points})$$

## Math – tool of econ. analysis



equation:	slope:	y-int:
$y = -5x + 20$	- 5	20
$y = 4x + 5$	4	5
$y = -2x + 15$	- 2	15

## Math – tool of econ. analysis



NB: in linear functions (such as the ones here) the slope equals the value of the parameter by the variable X.

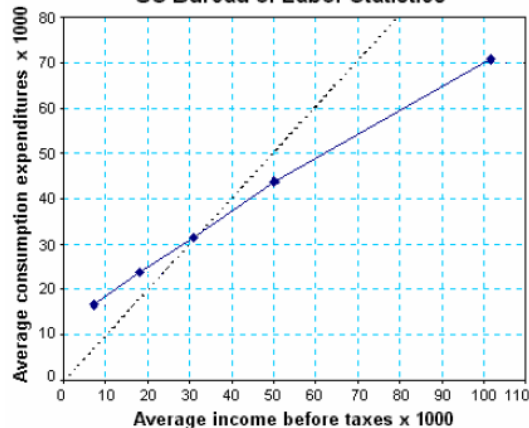
### What is SLOPE?

- the change in y divided by the change in x
  - $y = -5x + 20$
  - x increases from 1 to 2
  - y decreases from 15 to 10
  - slope:  $\frac{10-15}{2-1} = \frac{-5}{1} = -5$
- **positive slope:** x and y increase and decrease together
- **negative slope:** x and y increase and decrease inversely (when one rises the other falls)

- Why does curve slope up?
- When is avg. consumption greater than avg. income? How is this possible?
- A statistical estimation of the relationship between avg. income and avg. consumption is:  
 $AC = 0.57 * AI + 13,539$   
 where: AC = avg. consumption and AI = avg. income
- What's the significance of the y-intercept (\$13,539)?
- What's the significance of the parameter next to the AI-variable (0.57)?

## Analyzing Graphs

Consumption expenditures and income, 1998  
 -- US Bureau of Labor Statistics



The graph illustrates relationship between average household income and average consumption expenditure. Along the 45 degree line, income equals expenditure.

## $AC = 0.57 * AI + 13,539$ marginal propensity to consume

I'm using an example from macroeconomics, because some of you have already taken a macro course. If you haven't ... Don't worry. We're just reviewing basic algebra.

- **If your boss increased your income from \$31,000 to \$32,000, how much more would you consume?**
  - **On average, you would consume an extra \$570 worth of goods.**
  - **Put differently, if you were an average person, your expenditure on consumption goods would rise from \$31,209 to \$31,779.**
- **Every \$1000 increase in income raises consumption by \$570. Why?**
- **marginal propensity to consume = 0.57 (NB: that's the slope of the line!)**
- **What if you got fired? How much would you consume?**
- **Your income would fall to zero, but you'd still consume \$13,539 worth of goods. After all, you've got to eat!**
- **When your income is less than \$31,486 your expenditures on consumption goods exceed your income. (You run down your savings).**
- **When your income is more than \$31,486 your income exceeds your expenditures on consumption goods. (You save some of your income).**

## A few more definitions

$$AC = 0.57 * AI + 13,539$$

$$Y = C + I + G + (X - M)$$

- **Model** – the formal statement of a theory, often presented using mathematical equations
- **Variable** – a measure that can change such as consumption or income
  - **Dependent variable**
  - **Independent variable**
  - In the example above, consumption **depends** on income.
- **Parameters** – values which remain constant in an equation (here: 0.57 and 13,539)
- **Ceteris paribus** – “all else equal”
- How does an increase in investment, **I**, affect national income, **Y**?
- To answer this question we must hold all other variables constant, while we determine the effect of investment alone.

# Micro vs. Macro

## MICROeconomics

- Study of the decision-making of individuals, households and firms
- Study of distribution of wealth

## MACROeconomics

- Study of aggregates
- What factors affect:
  - Gross Domestic Product?
  - the price level?
  - the unemployment rate?

# Positive vs. Normative Economics

## Positive

- No judgements
- Just asking how the economy operates

## Normative

- Makes judgements
- Evaluates the outcomes of economic behavior
- Policy recommendations

# Economic policy

- **Positive** – economic policy starts with positive theories and models to develop an understanding of how the economy works
- Then economic policy evaluates (**normative**) on the basis of:
  - **Efficiency** – Is the economy producing what people want at the least possible cost? (quantifiable)
  - **Equity** – Is the distribution of wealth *fair*? Are landlords treating low-income tenants *fairly*? (non-quantifiable)
  - **Growth** – Increase in total output of the economy. Note: efficiency gains lead to growth (quantifiable)
  - **Stability** – steady growth, low inflation and full employment of resources – capital and labor (quantifiable)
- And recommends (**normative**) courses of action to policy-makers (presidents, congressmen, etc.)