

Economies of Scale

Monopolistic Competition

economies of scale occur when a firm or industry can double its output without doubling its cost

external - when economies of scale occur at industry level ex. Hollywood

→ internal - when economies of scale occur at firm level ex. airplanes
today's focus

firm maximizes profit when $MR = MC$
in perfect comp. $MR = p$ (firm faces horizontal demand curve, i.e. takes price as given)

but in imperfect comp firm faces downward sloping demand curve

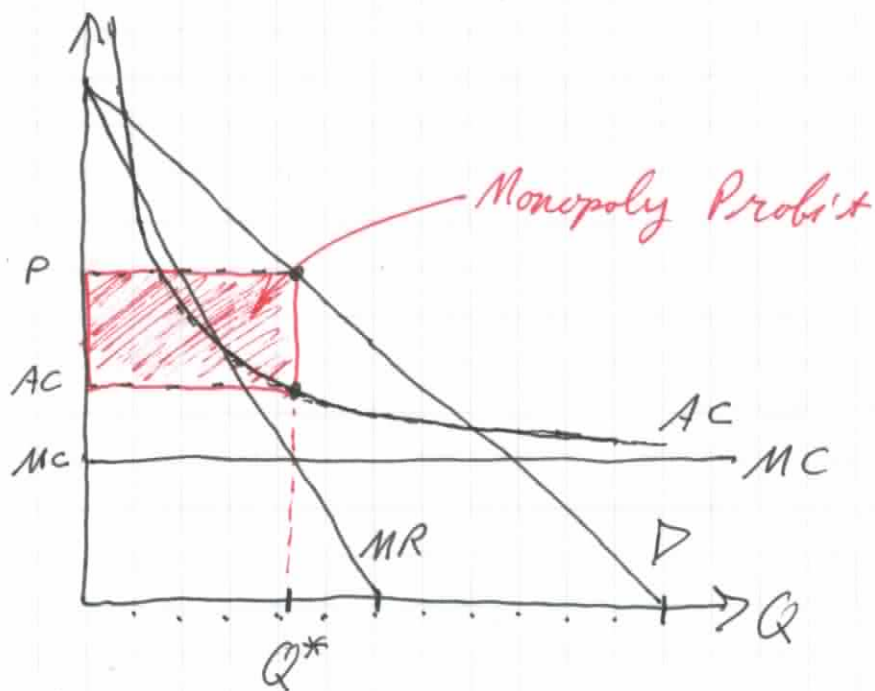
$$Q = A - BP \Rightarrow P = \frac{1}{B}(A - Q)$$

$$\begin{aligned} TR &\equiv P \cdot Q = \frac{1}{B}(A - Q) \cdot [A - B \cdot \frac{1}{B}(A - Q)] \\ &= \frac{1}{B}(A - Q) \cdot Q = \frac{1}{B}(AQ - Q^2) \end{aligned}$$

$$MR = \frac{1}{B}(A - 2Q) \Rightarrow P - MR = \frac{Q}{B}$$

Costs: $TC = F + Q \cdot MC$

$$AC = \frac{F}{Q} + MC$$



$$\text{Max } \Pi = TR - TC$$

Q

1st O.C. $MR = MC$

$$\frac{1}{3}(A - 2Q) = MC$$

Monopolistic Competition

1. Firms can differentiate their product (so somewhat insulated from competition)
2. Firms take prices charged by rivals as given so behave as a monopolist even tho it faces competition

Assumptions

1. a firm sells more as:
 - total demand for industry's product rises
 - prices charged by rivals rise
 2. total demand for industry's product is constant, so firms can only gain customers at the expense of their rivals
- Firm faces the demand fn:

$$Q_D = \frac{S}{n} - \frac{Sb}{n} (P - \bar{P})$$



where $S \equiv$ industry demand

$n \equiv$ number of firms

$P \equiv$ firm's price

$\bar{P} \equiv$ avg price in industry

→ Market Equilibrium - we want to know how many firms will be in industry + what price will be (i.e. $n + \bar{P}$)

- Three Steps:
1. relationship betw/ n $AC + n$ 
 2. relationship betw/ n $\bar{P} + n$ 
 3. no entry or exit when $AC = \bar{P}$

ASSUME: SYMMETRY - all firms face same demand fn + have same cost fn

1. n & AC

when: $P = \bar{P}$ then $Q_D = \frac{S}{n}$

therefore: $AC = \frac{F}{Q} + MC = \frac{nF}{S} + MC$



2. \bar{P} & n

rewrite demand fn as:

~~$Q_D = (S + S_b \bar{P}) - S_b P$~~

$$Q_D = \left(\frac{S}{n} + S_b \bar{P} \right) - S_b P$$

intercept slope · price

$$MR = P - \frac{Q}{S_b}$$



when $MR = MC$, then: $P = MC + \frac{Q}{S_b}$

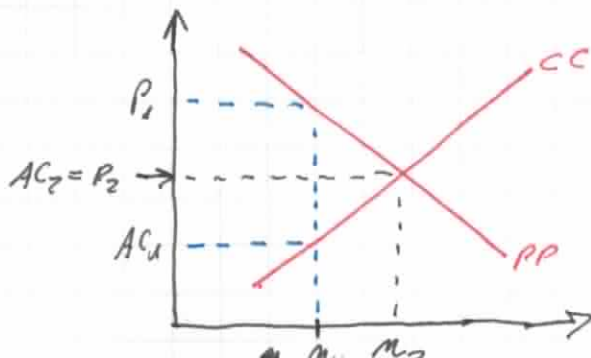
but $n = \frac{S}{Q}$, so: $P = MC + \frac{1}{b \cdot n}$

3. In LR equilibrium

$AC = \bar{P}$ zero-profit

entry occurs if ~~price~~ $AC < P$

exit occurs if ~~price~~ $AC > P$



because $AC_1 < P_1$

firms will enter

so LR equilibrium

at n_2 where $AC_2 = P_2$

to bind the eqblm $\bar{P} = AC + n$:

$$AC = \frac{nF}{S} + MC \quad P = MC + \frac{1}{bn}$$

$$\frac{nF}{S} + MC = MC + \frac{1}{bn}$$

$$n^2 = \frac{S}{bF} \Rightarrow$$

$$n = \sqrt{\frac{S}{bF}}$$

$$AC = \frac{1}{nb} \cdot \sqrt{\frac{S}{F}} \cdot \frac{F}{S} + MC = \sqrt{\frac{F}{Sb}} + MC$$

$$P = \frac{1}{b} \cdot \frac{nb}{1} \cdot \sqrt{\frac{F}{S}} + MC = \sqrt{\frac{F}{Sb}} + MC$$

also note that when $P = \bar{P}$, then

sales per firm are: $Q_D = \frac{S}{n} = S \cdot \sqrt{\frac{bF}{S}}$

$$Q_D = \sqrt{SbF}$$

So where does Int'l Trade come in?

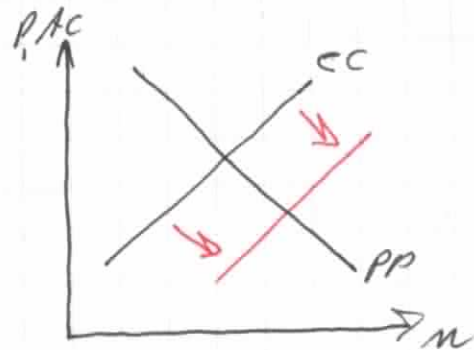
→ trade increases mkt size $S \uparrow$

so CC curve shifts out

becs: $AC = \frac{nF}{S} + MC$

→ PP curve unaffected becs:

$$P = MC + \frac{1}{bn}$$



increase in market size:

→ lower price

→ supports more firms \Rightarrow more varieties

→ each firm sells more bcs: $Q_D = \sqrt{S \cdot F}$

BUT NOTICE: total product variety available to consumers rises, but the ~~total~~ number of varieties produced in each country will fall

→ consider a case where two identical countries ~~are~~ open to free trade

→ if PP curve were horizontal, the number of firms in the integrated mkt would be twice the number in ~~the~~ each country's autarky state

→ but the PP curve is not horizontal, so opening to trade will cause some firms to exit the industry

→ **Scale Effect** - surviving firms expand

→ **Selection Effect** - some firms forced to exit

Intra-industry Trade

Home capital abundant | Manuf is capital-intensive
Foreign labor abundant | Food is labor-intensive

suppose that manuf is monop comp industry

Home will export Manuf to foreign bec
of capital abundance + econ of scale

Foreign will export:

- Food to Home (due to labor abundance)
- Manuf to Home (due to econ of scale)

remember firms produce different varieties
so Home not capable of producing full
range of Manuf

Foreign's exports of Food - interindustry trade

Foreign's exports of Manuf - intra-industry trade

intra-industry trade does NOT reflect
comparative advantage

If Home + Foreign have same $\frac{K}{L}$ ratios, all
trade betw/m them is intra-industry so
~~no~~ NO redistribution effects

But if Home + Foreign have very different $\frac{K}{L}$ ratios
then trade will be interindustry, so there
will be redistribution effects